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Introducing Item Pool Visualization (IPV)

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Abstract

In this article we introduce Item Pool Visualization (IPV). IPV locates items and item pools (scales) from multiple psychological instruments regarding their commonality and distinguishability along several dimensions of nested radar charts. Item pools are visualized as circles that do not overlap. IPV illustrates a comparison of different structural equation models that are estimated with the same data. IPV combines the advantages of general and correlated factor models when evaluating psychological instruments. Further, in contrast to other visualization methods IPV provides an empirically driven categorization of psychological concepts and their facets that is suited to provide users with help in comparing questionnaires and selecting tests.

Keywords: structural equation model, factor analysis, factor structure, facet structure, scale comparison, visualization, network, radar chart, Venn diagram

Introduction

In applied settings, psychologists often face the challenge of selecting the right questionnaires or tests suited to help answering their specific questions. For example, if one wants to use a questionnaire to measure individual differences in personality, one has to choose between several well-developed personality scales (i.e., questionnaires) that all deliver reliable results. These scales may, however, focus on different aspects of the same psychological construct even if their labels are very similar or identical (e.g., different *Extraversion Scales* focus on extraverted behavior in different situations). Thus, how to make an informed selection?

In this article we introduce Item Pool Visualization (IPV) and show how it facilitates scale comparisons of clearly defined item pools (e.g., published scales). We argue, for example, that two questionnaires that are both aiming to measure *Self-Esteem* can have a different understanding of the same concept. While one questionnaire primarily evaluates the level of *Self-Esteem* regarding the trust in *Social and Task-Related Abilities*, the other primarily consider the lack of self-doubts (*Lack of Negative Self-Esteem*).

IPV illustrates comparisons of factor loadings when different structural equation models (SEMs: Wright, 1921; Kaplan, 2001) or rather factors and further specified factors are estimated with the same data. With it we seek to provide an illustration system that locates item pools (scales) regarding their commonality and distinguishability along several dimensions of nested radar charts. Item pools are visualized as circles. Different item pools are visualized as different circles that do not overlap. For this reason and others, IPV substantially differs from traditional Venn diagrams (Venn, 1980), which also illustrate relations between variables depicted as circles.

Figure 1 shows a nested IPV of three different multi-facet questionnaires that measure positive-self concepts, namely the Domain Specific Self-Esteem Inventory (DSSEI: Hoyle, 1991), the Rosenberg Self-Esteem Scale (RSES: Rosenberg, 1965), and the Sports Mental Toughness Questionnaire (SMTQ: Sheard et al., 2009).



Figure 1. Nested IPV of the DSSEI, SMTQ, and RSES. Circles represent item pools. Numbers within circles represent latent correlations between different item pools. So = Social Competence, Ab = Task-Related Abilities, Ph = Physical Appeal, Pb = Public Presentation, Cf = Confidence, Cs = Constancy, Ct = Control, Ns = Lack of Negative Self-Esteem, Ps = Positive Self-Esteem.

The goal of this study is to present and discuss IPV as a methodological innovation that will help in the selection and analysis of psychological instruments. In this article we explain the structure of IPV and its interpretation on the basis of the example shown in Figure 1. We discuss the advantages of IPV over traditional SEM illustrations. Because IPV illustrates a model comparison it combines different benefits of different estimations in one single illustration. As shown in Figure 1, IPV illustrates comparisons of facets within and between questionnaires like illustrations of correlated factor models do (see Figure 2 for a traditional illustration). But it also illustrates superordinate commonalities like illustrations of general or a hierarchical factor models do. The combination of different information in one single illustration enables the discovery of additional similarities of and differences between psychological instruments that are easily overseen in traditional scale comparisons. This aspect is described in detail in the following sections.

Furthermore, IPV not only illustrates more information than traditional visualization methods but also illustrates the information more intuitively. Because of the use of nested radar charts, the arrangement of the included questionnaires and facets (i.e., larger and smaller defined item pools) carries a meaning. This is not given in any of the traditional SEM illustrations. IPVs arrangement is based on clear rules that define the distances of subpools to the center of a radar charts representing a superordinate item pool. In the next sections we first systematically explain the estimation of these *center distances*, which constitute the basis of IPV.

Method

Materials

To illustrate IPV we use a large dataset containing three different questionnaires that measure positive-self concepts, namely the Domain Specific Self-Esteem Inventory (DSSEI: Hoyle, 1991), the Rosenberg Self-Esteem Scale (RSES: Rosenberg, 1965), and the Sports Mental Toughness Questionnaire (SMTQ: Sheard et al., 2009).

Sample and procedure

The sample was drawn in Germany and Austria and consists of 2,272 German speaking participants who filled out German versions of the DSSEI, the RSES, and the SMTQ. The sample constitutes a community-based sample and is age-stratified. 1,265 (56%) participants reported to be female, 980 (43%) reported to be male, 27 (1%) did not state their sex. Participants' mean reported age was 39.8 years (SD = 17.7). Regarding highest educational level, 547 (24%) had a university degree, 783 (34%) had high school graduation, 512 (23%) had an apprenticeship certificate, 333 (15%) completed secondary education and 86 (4%) had no degree.

Analysis

To explain the general structure of IPV we first present an IPV of the DSSEI and its four facets (*Social Competence*, *Task-Related Abilities*, *Public Presentation*, *and Physical Appeal*). This implies estimations of two SEMs and subsequent calculations.

In the next step we estimate and present a nested IPV, where the DSSEI and its facets are compared with the RSES and the SMTQ and their facets (see Figure 1). This implies estimations of three SEMs and subsequent calculations.

Results

IPV is used to do a comparison of different SEMs using the same data. Uniquely in comparison to other methods, IPV illustrates in a radar chart the proportional rise of squared factor loadings when an overall item pool (e.g., the whole questionnaire) is split into some smaller and further specified subpools (e.g., facets). To provide an example, we first show this for the DSSEI only.

The first step when generating an IPV always is the estimation of a general factor model. There, a single factor is extracted from an overall item pool including all items, in this example all items of the DSSEI. Figure 2 shows a traditional illustration of this model.

As a second step, a correlated factor model is estimated where more factors are extracted from smaller and more specific subpools. In this example, four correlated factors are extracted from four smaller item pools representing the four facets of the DSSEI as described by Hoyle (1991; *Social Competence, Task-Related Abilities, Public Presentation, Physical Appeal*). Figure 3 shows a traditional illustration of the second model.

Note that SEM is needed when estimating a correlated factor model, i.e., it cannot be replaced by a traditional confirmatory factor analysis with a fixed number of correlated factors. This is because only SEM allows a clear allocation of the items to the factors.



Figure 2. General factor model of the Domain Specific Self-Esteem Inventory (DSSEI).



Figure 3. Correlated factor model of the Domain Specific Self-Esteem Inventory (DSSEI). So = Social Competence, Ab = Task-Related Abilities, Ph = Physical Appeal, Pb = Public Presentation.

When estimating the two models (Figure 2 and Figure 3), different factor loadings are estimated for the same items (see Table 1). This is because the general factor is extracted from a common item pool (Figure 2) and the correlated factors are extracted from further specified item pools (Figure 3). Table 1 shows that the factor loadings of the correlated factor model (Figure 3) tend to be higher than the loadings of the general factor model (Figure 2). This is due to the correlated factor model representing the published facets (i.e., more similar items) that can be better represented by single factors.

Fc	Item	Factor			
		loadings			
		Gen.	Corr.	Ratio of	Center
		factor	factor	squared	distance
		model	model	loadings	
So	I usually feel as if I have handled myself				
	well at social gatherings.	.58	.73	1.58	0.58
	I feel secure in social situations.	.69	.83	1.45	0.45
	I feel confident of my social behavior.	.66	.79	1.43	0.43
	I am often troubled with shyness. (R)	.40	.31	0.60	< 0
	At social gatherings I am often				
	withdrawn, not at all outgoing. (R)	.45	.43	0.91	< 0
Ab	I feel as if I lack the necessary skills to				
	really succeed at the work I do. (R)	.27	.30	1.23	0.23
	I am able to do things as well as most				
	other people.	.60	.66	1.21	0.21
	I usually expect to succeed at the things I				
	do.	.52	.63	1.47	0.47
	I almost always accomplish the goals I				
	set for myself.	.57	.69	1.47	0.47
	In general, I feel confident about my				
	abilities.	.64	.73	1.30	0.30
Ph	I feel that others would consider me to				
	be attractive.	.56	.80	2.04	1.04
	I'm not as nice looking as most people				
	(R).	.21	.37	3.10	2.10
	I feel confident that my physical				
	appearance is appealing to others.	.57	.83	2.12	1.12
	I am satisfied with the way I look.	.56	.71	1.61	0.61
	I feel unattractive compared to most				
	people my age. (R)	.45	.57	1.60	0.60
Pb	When I speak in a large group				
	discussion, I usually feel sure of myself.	.67	.87	1.69	0.69
	I enjoy being in front of large audiences.	.57	.75	1.73	0.73
	I feel quite confident when speaking				
	before a group of my peers.	.66	.80	1.47	0.47
	I find it very hard to talk in front of a				
	group. (R)	.45	.68	2.28	1.28
	When I talk in front of a group of people				
	my own age, I am usually somewhat				
	worried or afraid. (R)	.53	.67	1.60	0.60

Table 1. Basic Calculation of the IPV for the DSSEI

Note. IPV = Item Pool Visualization, DSSEI = Domain Specific Self-Esteem Inventory, Fc = Facet, So = Social Competence, Ab = Task-Related Abilities, Ph = Physical Appeal, Pb = Public Presentation. Items followed by (R) were reverse-scored before analysis.

Calculating center distances

In order to quantify the increase of the loadings when switching between the two models (Figure 2 and Figure 3), IPV uses the ratios of the squared loadings. More precisely, the squared loadings of the correlated factor model are divided by the squared loadings of the general factor model (see Table 1).

A ratio of squared loadings equal to one signifies that the estimated loadings of the respective item are identical in the correlated and in the general factor model. Furthermore, it signifies that the factor extracted from the smaller subpool does not explain more variance of the respective item than the factor extracted from the larger overall item pool. In other words, a ratio of squared loadings equal to one represents no difference. For this reason, in a basic IPV calculation, 1 is subtracted from each ratio to represent a missing difference with 0. The results of these calculations are called *center distances*.

Center distances represent the proportional increase of the explained item variance, if the items are allocated to smaller subpools (Figure 3), compared to a larger common pool (Figure 2). A center distance of 0 represents no increase. By definition, no increase includes a possible decrease of explained variance, i.e., negative values are treated as 0 (see Table 1).

Visualizing items of the DSSEI

Center distances are used for locating the items along several facet dimensions in a radar chart (see Figure 4).



Figure 4. Item location of the DSSEI on facet dimensions when using IPV. So = Social Competence, Ab = Task-Related Abilities, Ph = Physical Appeal, Pb = Public Presentation. The dotted circles are the grid showing axis scaling. For clearer distinction, every second item is illustrated in different lengths and color.

In an IPV the center of the radar chart represents the item variance that is explained by the factor extracted from this overall item pool. Therefore, center distances illustrate how much each item is more strongly associated to a smaller subpool in comparison to the overall item pool. For example, the first item of the facet *Physical Appeal (I feel that others would consider me to be attractive)* has a center distance of 1.04 (see Table 1). This implies a 104% increase of the explained variance of this item if it is viewed as a *Physical Appeal* item instead of just as a *Self-Esteem* item.

Visualizing facets of the DSSEI

Items that are located on the same facet dimension in Figure 4 can be combined to an item pool representing the respective facet. In Figure 5, the items are combined to four item pools representing the four original facets of the DSSEI (*Social Competence, Task-Related Abilities, Public Presentation, Physical Appeal*).



Figure 5. Facet location of the DSSEI when using IPV. So = Social Competence, Ab = Task-Related Abilities, Ph = Physical Appeal, Pb = Public Presentation.

The four circles representing the item pools of the four facets are located by using the *mean center distance* of the included items. The mean center distance is illustrated as the distance from the center of the radar chart to the circle edge indicated by the thick black radial lines. IPV uses this illustration to avoid confusion that may come from overlapping circles. It is always possible to adjust the scaling of the specific dimensions so that the circles do not overlap. The numbers within a circle represent the latent correlations between this item pool (facet) and the other item pools (facets). They are estimated with the model shown in Figure 3. Correlations are arranged clockwise in the same order as the facets. The IPV of the DSSEI shows that the facets are not balanced (see Figure 5). Contents of facets near the center tend to be better represented in the overall questionnaire, because they are well represented by the general factor model.

Figure 5 shows that the two facets that are nearest to the center (*Social Competence, Task-Related Abilities*) are correlated the most with the other facets. That implies that participants with high DSSEI scores often show a response pattern that particularly consists of high ratings in these two facets.

Requirements for IPV

IPV has three requirements. (1) The data must allow SEM (see Kaplan, 2001). (2) All estimated factor loadings in each SEM should be positive. However, if all loadings of the same item pool are negative, it is possible to recode the items and rename the pool (see section *visualizing a comparison of the DSSEI with the RSES and the SMTQ*). (3) All estimated factor loadings in each SEM should not be too low. We recommend to exclude items that have factor loadings below 0.1, which means that less than 1% of their variance can be explained by the respective factor (not relevant in the examples presented in this article).

Visualizing a comparison of the DSSEI with the RSES and the SMTQ

As demonstrated in the previous sections, IPV is a nested system that compares factor loadings when an item pool is split into smaller subpools. This system allows item pool comparisons on several hierarchical levels. Subpools (facets) can contain further subpools and item pools (questionnaires) can also be combined with other item pools (questionnaires) and form a superordinate item pool. The latter is needed to compare the DSSEI with the RSES and the SMTQ that were also created to measure a positive self-concept. Such a comparison implies three hierarchical levels. Therefore, three SEMs are estimated (see Figures 6-8).



Figure 6. General factor model including all items of the DSSEI, SMTQ, and RSES.



Figure 7. Correlated factor model of the main factors of the DSSEI, SMTQ, and RSES.



Figure 8. Correlated factor model of the facets of the DSSEI, SMTQ, and RSES. So = Social Competence, Ab = Task-Related Abilities, Ph = Physical Appeal, Pb = Public Presentation, Cf = Confidence, Cs = Constancy, Ct = Control, Ns = Lack of Negative Self-Esteem, Ps = Positive Self-Esteem.

In the first SEM (Figure 6), one factor is extracted from a superordinate item pool (from all items of the three questionnaires). The item "In general, I feel confident about my abilities" from the DSSEI facet Task-Related Ability and the item "I feel confident about my social behavior" from the DSSEI facet Social Competence have the highest loadings on the superordinate general factor, including all items of the three questionnaires (r = .66, r = .62). For this reason, we named the superordinate factor (Figure 6) Self-Confidence.

In the second SEM (Figure 7) three correlated factors are extracted from three subpools (i.e., three sections of the overall item pool) representing the three questionnaires (DSSEI, RSES, SMTQ).

In the third SEM (Figure 8), nine correlated factors are extracted from nine subpools representing the facets of the three questionnaires. Within the DSSEI and the SMTQ, we grouped items to facets as indicated by the scales' original authors. Within the RSES, we grouped items into two subscales as suggested in the past by some researchers

(positive vs. negative Self-Esteem; for a recent discussion see Supple, Su, Plunkett, Peterson, & Bush, 2013). In order to meet the requirements of an IPV (see section *requirements for IPV*), all items of the facet *Negative Self-Esteem* were recoded and the facet was renamed to *Lack of Negative Self-Esteem*.

Due to the three model estimations (Figure 6-8) three different factor loadings are estimated for each item. Therefore, two center distances can be calculated for each item using the same procedure as described above. One center distance can be calculated that represents the comparison of the first and the second SEM (Figure 6 and Figure 7), i.e., the comparison of the three tests in a superordinate radar chart. Additionally, one center distance can be calculated that represents the comparison of the three tests the comparison of the second and the third SEM (Figure 7 and Figure 8), i.e., the comparison of the facets within the three subordinate radar charts. When using *mean center distances*, a nested IPV can be drawn that includes information of the three SEMs (previously shown in Figure 1).

Figure 1 shows the relationship in meaning of the DSSEI, the SMTQ, and the RSES using IPV. The correlation numbers in bold represent the latent correlations of the main factors of the three questionnaires (estimated by the model shown in Figure 7). Note that the center distances within the three questionnaires are drawn on the same scale, but the center distances between the three questionnaires are triple that in order to avoid overlapping circles. In Figure 1 this is indicated by the dotted lines, each representing a center distance of 0.1.

Interpretation of the center distances in Figure 1

Figure 1 integrates three nested radar charts (representing the three questionnaires) in one superordinate radar chart. Like every radar chart, IPV is interpreted by analyzing distances along the dimensions. We recommend starting the interpretation of an IPV from the center of the superordinate radar chart (*Self-Confidence*, see Figure 1). The center of the superordinate radar chart has the shortest distance to the edge of the overall circle of the DSSEI, meaning the general factor of the DSSEI differentiates least from the superordinate factor (*Self-Confidence*) followed by SMTQ and RSES.

Next, we interpret the facet level. The center of the DSSEI has the shortest distance to its facets *Social Competence* and *Task-Related Abilities*. That means that these facets differentiate least from the general factor of the DSSEI, which, as described above, differentiates least from the superordinate factor (*Self-Confidence*). This implies that *Self-Confidence*, *Social Competence* and *Task-Related Abilities* are to some degree interchangeable terms because they contain little unique variance.

In some cases, facets between different questionnaires are correlated more strongly than the general factors of the respective questionnaires. This can be viewed as an indicator that the specific facet dimensions of the different questionnaires have something in common. In an IPV facet correlations between different questionnaires that are higher than the correlations of their general factors are drawn with dotted arrows. Figure 1 shows, for example, that the specific dimension *Task-Related Abilities* of the DSSEI has something in common with the specific dimensions *Constancy* and *Positive Self-Esteem* of the SMTQ and the RSES.

Interpretation of the factors in Figure 1

Using IPV facilitates the interpretation of factors. In Figure 1 the general factor of the RSES (representing *Self-Esteem*) shows a higher correlation to the general factor of the SMTQ (representing *Mental Toughness*) than to the general factor of the DSSEI (also representing *Self-Esteem*). This is surely not an expectable result, because both, the RSES and the DSSEI share the same label, i.e. are indicated to measure *Self-Esteem*.

However, Figure 1 also shows that the facet *Lack of Negative Self-Esteem* of the RSES differentiates least from its general factor (*Lack of Negative Self-Esteem* is nearer to the center than *Positive Self-Esteem*). Furthermore, the facet *Lack of Negative Self-Esteem* of the RSES shows a high correlation to the facet *Control* of the SMTQ. These results can explain the unexpectedly high correlation of the general factors of the RSES and the SMTQ. Even if IPV cannot absolutely locate item pools semantically, interpreting their relations facilitates the understanding of the questionnaires and their operational definition. Consequently, IPV enhances the understanding what questionnaires really measure.

In this and the previous section, the interpretation of Figure 1 was explained. In the next section general interpretation rules for IPV are listed.

General interpretation rules for IPV

- 1. In an IPV, circles represent item pools.
- The only distances that have a meaning in an IPV are *center distances*, i.e.
 distances from the center of a certain radar chart to edges of other circles or items.
- 3. The center distance of a single item represents the proportional increase of its explained variance when it is allocated to a smaller item pool instead of a larger reference pool. For example, suppose the *squared loading* of an item increases from .2 in the general factor model to .3 in a correlated factor model. In this case the increase of a squared loading from .2 to .3 would be illustrated with a center distance of 0.5 implying an increase of 50%.
- The center distance of a circle (item pool) represents the mean center distance of its composite items.

- 5. It is possible to define a route of center distances through several radar charts of different hierarchical levels. The route starts at the center of the most superordinate radar chart and ends at the circle edge of a subordinate radar chart. In the center of this subordinate radar chart the route can be continued.
- 6. The numbers within the circles represent the latent correlations of factors extracted from different item pools when using SEM.
- 7. Dotted arrows represent the latent correlation between subordinate circles (item pools) that do not share the identical superordinate circles (item pools), i.e., they illustrate the latent correlation between facets of different questionnaires. Unless otherwise specified, dotted arrows are used when the latent correlations of the facets are higher than the latent correlations of the questionnaires, implying an additional similarity between these facets. The length of the arrows does not have any meaning.

Discussion

Why using IPV?

IPV focuses on content related differences of item pools. It can be used to illustrate the facet structure of a single questionnaire or to compare different questionnaires regarding their facet structures. Illustrating the facet structure of a single questionnaire primarily serves the purpose to show the specificity or the balancing of the facets. In most cases, facets are not balanced, which should be taken into account when interpreting results from data collection with an assessment scale. For example, when interpreting a possible correlation between the overall DSSEI score and another variable, it should be

taken into account that the overall DSSEI score represents *Social Competence* and *Task-Related Abilities* the most. In other words: IPV illustrates that the DSSEI predominantly operationalizes *Self-Esteem* with *Social Competence* and *Task-Related Abilities*. In this way IPV differentiates the DSSEI from the RSES that predominantly operationalizes *Self-Esteem* with *Lack of Negative Self-Esteem* and therefore offers an opportunity for quick comparisons.

Furthermore, consisting of a nested system of item pool labels, IPV offers the opportunity to systematically investigate the meaning of assessment scales. This is an important issue, because authors rarely name their scales on the basis of strict empirical rules (for example following the content of the items showing the highest factor loadings). Normally authors name their scales after an existing construct or theory irrespective of whether the item pools (scales) are really representing them in the end of the development process (e.g., Bech et al., 2003; Oviedo-García, 2007).

For example, a scale that exclusively consists of items related to conspicuous party behavior is typically named as an *Extraversion Scale* (and not as a *Conspicuous Party Behavior Scale*). This procedure is obviously problematic. If other authors use this scale later in their studies, in future literature their findings will be related to *Extraversion* and not to *Conspicuous Party Behavior*.

It is important to note that the above example describes a restriction of content validity that cannot be detected with measures of reliability or by evaluating fit indices as criteria (Hu and Bentler, 1999). Naturally, a *Conspicuous Party Behavior Scale* can be very reliable and can show very good fit indices (for example in a general factor model). Moreover, the content restriction of this Extraversion Scale consisting of some very similar items could be the reason for its high reliability and its good fit indices. Even if

low reliability reduces validity, high reliability does not guarantee validity. IPV was developed to facilitate content related scale comparisons, which cannot be done by comparing measures of reliability or fit indices. In practice, scales are often selected on the basis of reliability measures and fit indices only. IPV is a tool to evaluate if the content of a scale fits its purpose.

Relation to higher order factor models

IPV is based on comparisons of different SEMs that represent different hierarchical levels (see *results section*). In this regard some may ask why not estimate one single higher order factor model. For this reason Figure 9 shows how a higher order factor model would look like that is comparable with the IPV shown in Figure 1.



Figure 9. Higher order factor model of the DSSEI, SMTQ, and RSES. So = Social Competence, Ab = Task-Related Abilities, Ph = Physical Appeal, Pb = Public Presentation, Cf = Confidence, Cs = Constancy, Ct = Control, Ns = Lack of Negative Self-Esteem, Ps = Positive Self-Esteem.

- In a higher order factor model the arrangement of the questionnaires and facets have no meaning. In IPV it does.

- Because of using nested circles, IPV allows zooming in and out of the figure and therefore can be more easily extended.

- IPV more strongly emphasizes that factors are based on item pools and that the validity of the estimated factors depends on the validity of the item pools.

- Most important: Higher order factor models offer no opportunity to directly compare facets within or between questionnaires. That means when interpreting a higher order factor model, it cannot be easily detected if facets of different questionnaires having the same labels substantially differ or if facets of different questionnaires having different labels are in fact very similar (as with the facets *Task-Related Abilities* (Ab) and *Constancy* (Cs) in the discussed example). For direct facet comparisons a correlated factor model is needed (see Figure 7), which is, however, not hierarchical or nested. IPV (see Figure 1) combines advantages of higher order and correlated factor models.

Limitations of IPV

IPV was developed to facilitate comparisons of similar and therefore positively correlated scales. Even if negative correlated scales can be recoded in some cases (see *requirements for IPV section*), IPV cannot be used to illustrate a complex network of both positively and negatively correlated scales.

Furthermore, the hierarchical structure of IPV and its zoom feature potentially offers the opportunity to extend the illustration with further positively correlating scales building a large network of constructs. However, when using the procedure described above, the potential to create a large network of constructs is limited by the reasonable length of a study. Naturally, participants may not fill in more than a certain number of scales in one single study (this issue concerns all types of modelling).

We think this problem can be solved in IPV when adapting the procedure and combining different samples that focus on different hierarchical levels. While one sample could focus on the internal structure of a single questionnaire (using all items) another sample could focus on the connection of different questionnaires (using well selected short forms representing identical factors). This would limit the lengths of each study. Nevertheless, even if this procedure seems reasonable to us, its practicability is not proven yet.

Conclusion

In this article we introduced Item Pool Visualization (IPV) that offers the opportunity to locate items and questionnaires in large networks and to zoom in and out of these networks. IPV combines benefits of higher order and correlated factor models within one single illustration. This enables to discover additional similarities and differences of assessment scales that are easily overseen with traditional visualizations. Further, in contrast to other visualization methods, IPV provides an empirically driven categorization of questionnaires and their facets that is suited to provide users with help in comparing questionnaires and selecting tests.

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Bech P, Olsen LR, Kjoller M and Rasmussen NK (2003) Measuring well-being rather than the absence of distress symptoms: A comparison of the SF-36 Mental Health subscale and the WHO-Five Well-Being Scale. *International Journal of Methods in Psychiatric Research* 12(2): 85–91. DOI: 10.1002/mpr.145

- Hoyle RH (1991) Evaluating measurement models in clinical research: Covariance structure analysis of latent variable models of self-conception. *Journal of Consulting and Clinical Psychology* 59: 67-76. DOI: 10.1037/0022-006X.59.1.67
- Hu L and Bentler PM (1999) Cutoff criteria for fit indexes in covariance structure analysis: Conventional criteria versus new alternatives. *Structural Equation Modeling* 6: 1-55. DOI: 10.1080/10705519909540118
- Kaplan D (2001) Structural equation modeling: Foundations and extensions.Thousand Oaks: Sage. DOI: 10.1016/B0-08-043076-7/00776-2
- Oviedo-García M. (2007) Internal validation of a biodata extraversion scale for salespeople. *Social Behavior and Personality* 35(5): 675-692. DOI: 10.2224/sbp.2007.35.5.675
- Rosenberg M (1965) *Society and the adolescent self-image*. Princeton NJ: Princeton University Press.
- Sheard M, Golby J and Van Wersch A (2009) Progress toward construct validation of the Sports Mental Toughness Questionnaire (SMTQ). *European Journal of Psychological Assessment* 25: 186-193. DOI: 10.1027/1015-5759.25.3.186
- Supple AJ, Su J, Plunkett SW, Peterson GW and Bush KR (2013) Factor structure of the Rosenberg Self-Esteem Scale. *Journal of Cross-Cultural Psychology* 44: 748-764. DOI:10.1177/0022022112468942

- Venn JI (1980) On the diagrammatic and mechanical representation of propositions and reasonings. *Philosophical Magazine* 10: 1-18. DOI: 10.1080/14786448008626877
- Wright S (1921) Correlation and causation. *Journal of Agricultural Research* 20: 557–585.